



# Can changes in spirometry over time be interpreted using cross-sectional reference data?

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## Background

Serial spirometry measurements can facilitate identification of individuals with rapid lung function decline. Cross-sectional reference data describe a population at one point in time and do not necessarily reflect how individuals change over time. In clinical practice, repeated measurements are commonly interpreted using cross-sectional reference data.

## Aims

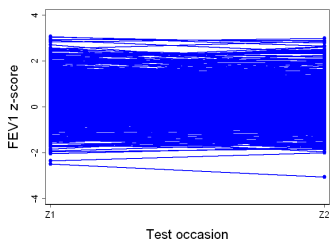
To adjust for the correlated nature of repeated measurements in order to interpret changes over time using cross-sectional reference data.

## Study Population

938 healthy white subjects (age 6-18y) were measured twice. FEV<sub>1</sub> z-scores were calculated using "all-age" reference equations (Stanojevic et al., AJRCCM 2008)

## Variability within subjects

Normal lung growth can be viewed as roughly a constant Z-score ( $Z_1 = Z_2$ ) over time. The change in Z-score is described as  $Z_2 - Z_1$ . The graph shows time changes in the subjects.



Mean (SD)  
 $Z_1$  0.4 (0.9)  
 $Z_2$  0.2 (0.9)  
 $Z_2 - Z_1$  -0.2 (0.4)

## Tracking

The uncertainty (SD) around the change ( $Z_2 - Z_1$ ) is normally distributed around a mean change of  $\sim 0$  Z-scores and depends on the correlation ( $r$ ) between  $Z_1$  and  $Z_2$

The correlation coefficient ( $r$ ) depends on:

- 1) The measurement error and biological variability
- 2) The time interval between  $Z_1$  and  $Z_2$

In this study  $r = 0.89$  over a one year interval, indicating strong tracking

## Z-score for change ( $Z_c$ )

From this we can calculate a Z-score for change ( $Z_c$ ). This can be used to identify individuals whose lung function changes more than that observed in health

The  $Z_c$  considers:

- the **change in Z-score**
- the **baseline result ( $Z_1$ )**
- the **correlation ( $r$ )** expected for the specific time interval

$$Z_c = \frac{(Z_2 - Z_1) + (1-r) \times Z_1}{\sqrt{1-r^2}}$$

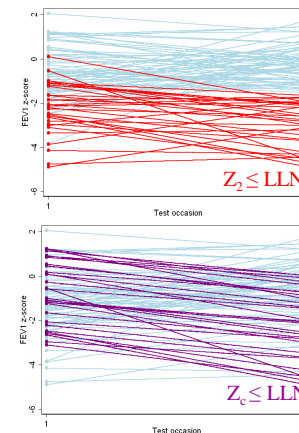
This includes an adjustment for **regression to the mean**, whereby extreme values are expected to be nearer to the median on the second test occasion

It also incorporates a scaling factor to give an SD of 1, such that  $Z_c$  is normally distributed (mean 0), SD (1) and the **lower limit of normal (LLN) for  $Z_c$  is -1.645**

## Clinical Application

Data from 98 children with cystic fibrosis (age 6 -16y) measured on two occasions one year apart were used to demonstrate the clinical application of  $Z_c$

## $Z_c$ identifies changes in lung function



	Abnormal $Z_c \leq LLN$	Normal $Z_c > LLN$
Abnormal $Z_2 \leq LLN$	17	14
Normal $Z_2 > LLN$	14	53

$Z_2$  and  $Z_c$  each identified 31 subjects as abnormal ( $\leq LLN$ ). A combination of both cut-offs identified 45 subjects as abnormal

14 subjects classified as 'normal' using  $Z_2$  (cross-sectional cut-off) had significant lung function decline using  $Z_c$  (longitudinal cut-off)

An additional 14 subjects had abnormal spirometry ( $Z_2 \leq LLN$ ) but did not

## Clinical Example

Test 1  
 Age: 10 years  
 Height: 140cm  
 FEV<sub>1</sub> = 2.07 L  
 $Z_1 = 0.19$   
 %predicted = 102%



Test 2  
 Age: 11 years  
 Height: 150cm  
 FEV<sub>1</sub> = 2.22 L  
 $Z_2 = -0.65$   
 %predicted = 93%



$Z_2 - Z_1 = 0.84$   
 $Z_2 = -0.65 > LLN$   
 $Z_c = -1.81 < LLN$

The subject appears to be normal ( $Z_2 > LLN$ ) but had significant lung function decline ( $Z_c < LLN$ ) between the two test occasions

## Conclusions

$Z_c$  is an additional tool for interpreting repeated spirometry results

$Z_c$  takes into account the expected within-subject variability in health as well as the patient's prior lung function

$Z_c$  is more sensitive than cross-sectional Z-scores for detecting lung function deterioration